

SOLUTIONS TO SELECTED PROBLEMS

Student: You should work the problem completely before referring to the solution.

CHAPTER 18

Solutions included for problems: 1, 4, 7, 10, 13, 16, 19, 22, 25, 29, 31, and 34

$$\begin{aligned} 18.1 \quad 10 \text{ tons/day: } PW &= -62,000 + 1500P/F, 10\%, 8) - 0.50(10)(200)(P/A, 10\%, 8) \\ &\quad - 4(8)(200)(P/A, 10\%, 8) \\ &= \$-100,779 \end{aligned}$$

$$20 \text{ tons/day: } PW = \$-140,257$$

$$30 \text{ tons/day: } PW = \$-213,878$$

$$\begin{aligned} 18.4 \quad PW_{\text{Build}} &= -80,000 - 70(1000) + 120,000(P/F, 20\%, 3) \\ &= \$-80,556 \end{aligned}$$

$$\begin{aligned} PW_{\text{Lease}} &= -(2.5)(12)(1000) - (2.50)(12)(1000)(P/A, 20\%, 2) \\ &= \$-75,834 \end{aligned}$$

Lease the space.

New construction cost = $70(0.90) = \$63$ and lease at \$2.75

$$PW_{\text{Build}} = \$-73,556$$

$$PW_{\text{Lease}} = \$-83,417$$

Select build. The decision is sensitive.

18.7 (a) Breakeven number of vacation days per year is x.

$$\begin{aligned} AW_{\text{cabin}} &= -130,000(A/P, 10\%, 10) + 145,000(A/F, 10\%, 10) - 1500 \\ &\quad + 150x - (50/30)(1.20)x \end{aligned}$$

$$\begin{aligned} AW_{\text{trailer}} &= -75,000(A/P, 10\%, 10) + 20,000(A/F, 10\%, 10) - 1,750 \\ &\quad + 125x - [300/30(0.6)](1.20)x \end{aligned}$$

$$AW_{\text{cabin}} = AW_{\text{trailer}}$$

$$x = 19.94 \text{ days} \quad (\text{Use } x = 20 \text{ days per year})$$

(b) Determine AW for 12, 16, 20, 24, and 28 days.

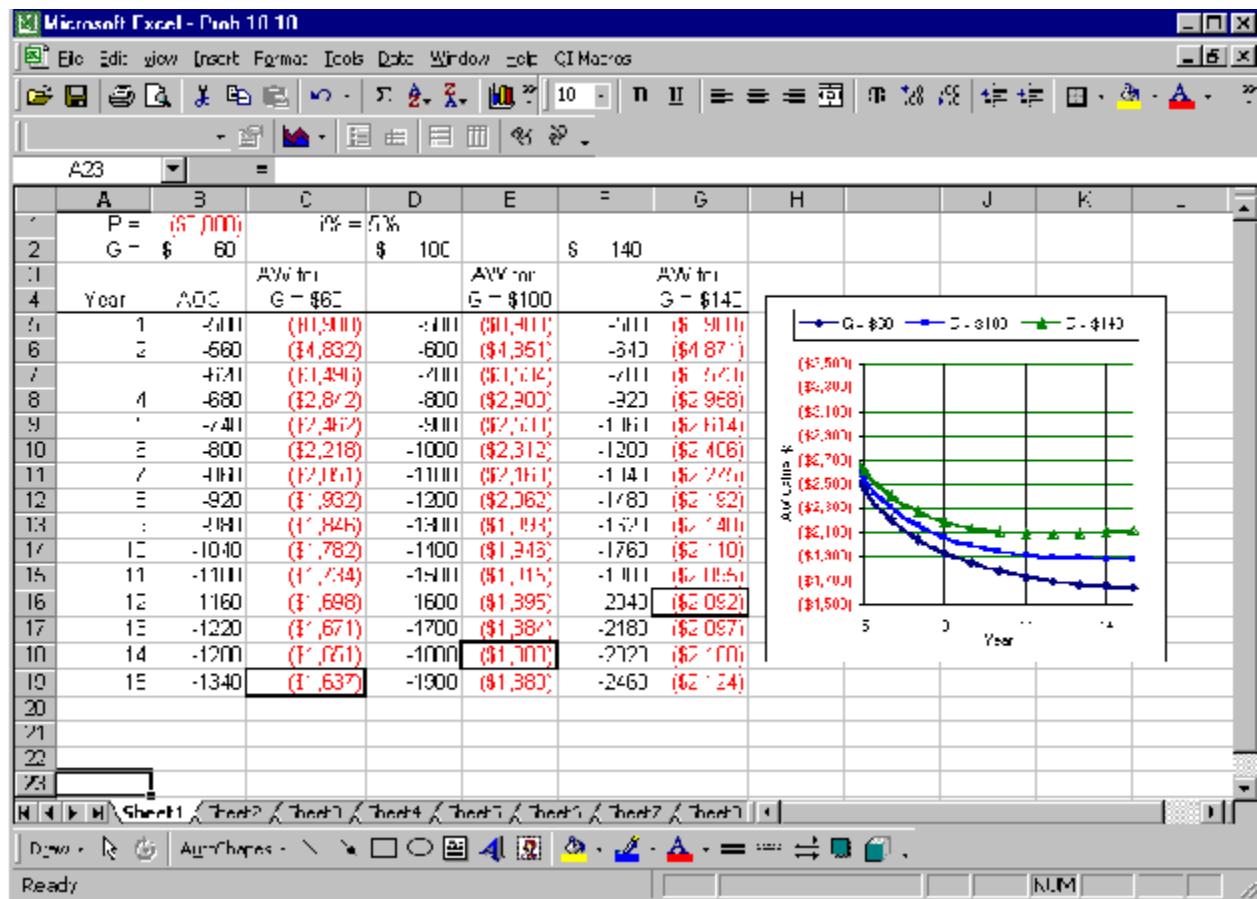
$$AW_{\text{cabin}} = -13,558.75 + 148x$$

$$AW_{\text{trailer}} = -12,701.25 + 105x$$

Days, x	AW_{cabin}	AW_{trailer}	Selected
12	\$-11,783	\$-11,441	Trailer
16	-11,191	-11,021	Trailer
20	-10,599	-10,601	Cabin
24	-10,007	-10,181	Cabin
28	- 9415	- 9761	Cabin

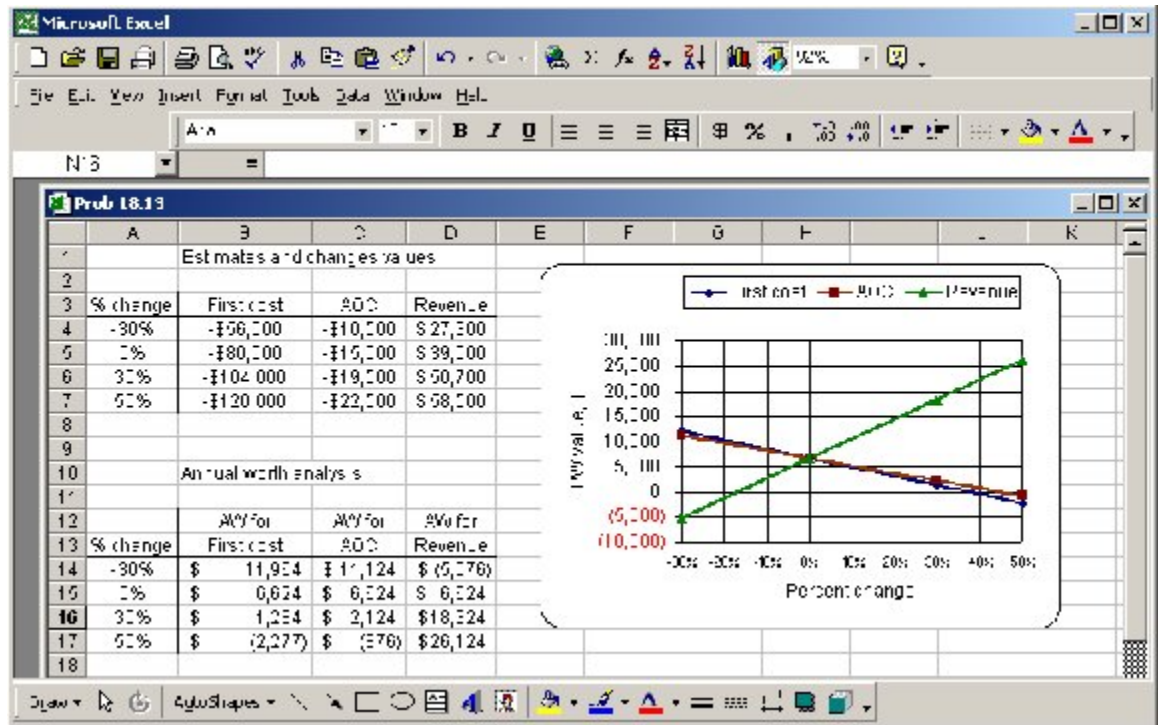
Each pair of AW values are close to each other, especially for $x = 20$.

- 18.10 For spreadsheet analysis, use the PMT functions to obtain the AW for each n value for each G amount.



The AW curves are quite flat; there are only a few dollars difference for the various n values around the n^* value for each gradient value.

- 18.13 (a) First cost sensitivity: $AW = -P(0.22251) + 24,425$
 (b) AOC sensitivity: $AW = -AOC + 21,624$
 (c) Revenue sensitivity: $AW = -32,376 + \text{Revenue}$



18.16 Water/wastewater cost = $(0.12 + 0.04)$ per 1000 liters = 0.16 per 1000 liters

Spray Method

Pessimistic - 100 liters

Water required = $10,000,000(100) = 1.0$ billion
 $AW = -(0.16/1000)(1.00 \times 10^9) = \$-160,000$

Most Likely - 80 liters

Water required = $10,000,000(80) = 800$ million
 $AW = -(0.16/1000)(800,000,000) = \$-128,000$

Optimistic - 40 liters

Water required = $10,000,000(40) = 400$ million
 $AW = -(0.16/1000)(400,000,000) = \$-64,000$

Immersion Method

$AW = -10,000,000(40)(0.16/1000) - 2000(A/P, 15\%, 10) - 100 = \$-64,499$

Immersion method is cheaper, unless optimistic estimate of 40 L is the actual.

18.19 (a) $E(\text{time}) = (1/4)(10 + 20 + 30 + 70) = 32.5$ seconds

(b) $E(\text{time}) = 20$ seconds

The 70 second estimate does increase the mean significantly.

18.22 $E(i) = 103/20 = 5.15\%$

18.25 $E(\text{revenue}) = \$222,000$

$$\begin{aligned} E(AW) &= -375,000(A/P, 12\%, 10) - 25,000[(P/F, 12\%, 4) + (P/F, 12\%, 8)] \\ &\quad (A/P, 12\%, 10) - 56,000 + 222,000 \\ &= \$95,034 \end{aligned}$$

Construct mock mountain.

18.29 $AW = \text{annual loan payment} + (\text{damage}) \times P(\text{rainfall amount or greater})$
Subscript on AW indicates the rainfall amount.

$$AW_{2.00} = \$-42,174$$

$$AW_{2.25} = \$-35,571$$

$$AW_{2.50} = \$-43,261$$

$$AW_{3.00} = \$-54,848$$

$$AW_{3.25} = \$-61,392$$

Build a wall to protect against a rainfall of 2.25 inches with an expected AW of \$-35,571.

18.31 D3: Top: $E(\text{value}) = \$30$
Bottom: $E(\text{value}) = \$10$
Select top at D3 for \$30

D1: Top: Value at D1 = $77 - 50 = \$27$
Bottom: $90 - 80 = \$10$
Select top at D1 for \$27

D2: Top: $E(\text{value}) = \$66$
Middle: $E(\text{value}) = 0.5(200 - 100) = \50
Bottom: $E(\text{value}) = \$50$

18.31 (cont) At D2, value = E(value) – investment

Top: $66 - 25 = \$41$

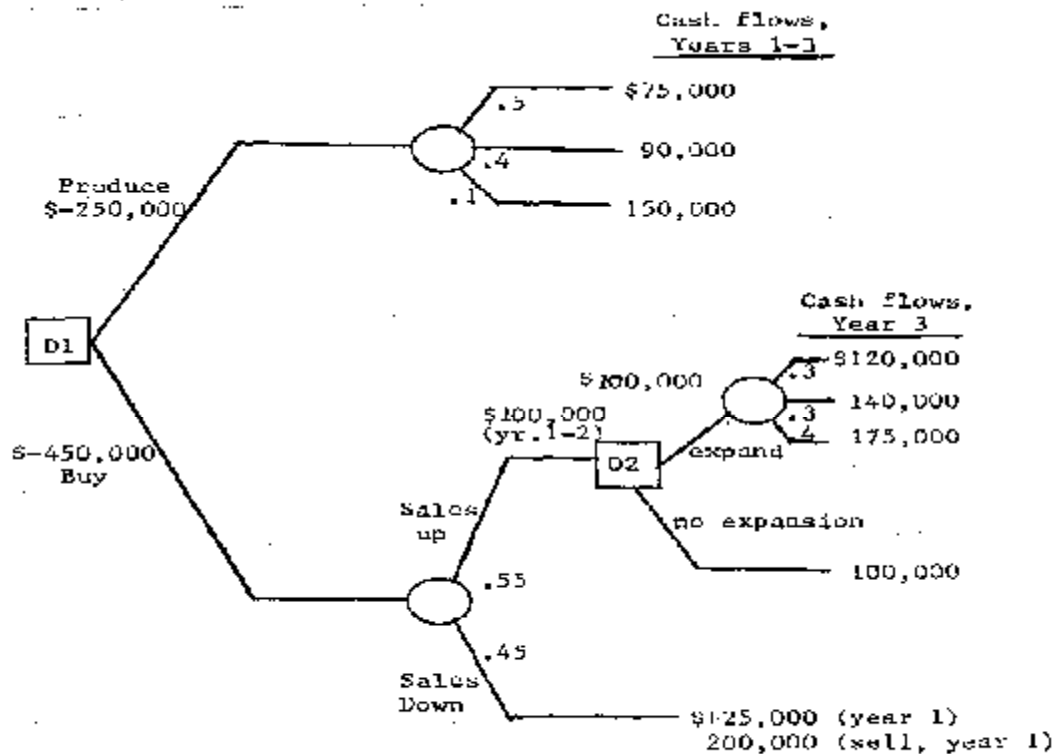
Middle: $50 - 30 = \$20$

Bottom: $50 - 20 = \$30$

Select top at D2 for \$41

Conclusion: Select D2 path and choose top branch (\$25 investment)

18.34 (a) Construct the decision tree.



(b) Expansion option

(PW for D2, \$120,000) = \$4352

(PW for D2, \$140,000) = \$21,744

(PW for D2, \$175,000) = \$52,180

E(PW) = \$28,700

18.34 (cont)

No expansion option

(PW for D2, \$100,000 = \$86,960

$E(PW) = \$86,960$

Conclusion at D2: Select no expansion option

(c) Complete foldback to D1.

Produce option, D1

$E(PW \text{ of cash flows}) = \$202,063$

$E(PW \text{ for produce}) = \$-47,937$

Buy option, D1

At D2, $E(PW) = \$86,960$

$$\begin{aligned} E(PW \text{ for buy}) &= \text{cost} + E(PW \text{ of sales cash flows}) \\ &= -450,000 + 0.55(PW \text{ sales up}) + 0.45(PW \text{ sales down}) \\ &= -450,000 + 0.55(228,320) + 0.45(195,660) \\ &= \$-236,377 \end{aligned}$$

Conclusion: Both returns are less than 15%, but the expected return is larger for produce option than buy.

(d) The return would increase on the initial investment, but would increase faster for the produce option.